New Evidence on News-Driven Business Cycles

by

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Abstract:

We study the Beaudry and Portier (2006)-hypothesis of delayed-technology diffusion and newsdriven business cycles. For German data on TFP and stock prices we find qualitatively similar empirical evidence. Quantitatively, however, an impulse response analysis suggests that a substantial part of the total TFP response is immediate rather than delayed. We relate this to disembodied technological change and noisy data on TFP. Nevertheless, we confirm the technology interpretation of structural shocks by showing that they are Granger-causal for data on patents granted by the German patent agency. We also show that these shocks generate comovement of macro variables at business cycle horizons and account for a sizable share of the forecast error variance of these variables in the medium and long run.

Keywords: news, business cycles, TFP, structural VAR

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1 Introduction

In a recent paper, Beaudry and Portier (2006) have emphasized that stock prices may have relevant informational content for understanding macroeconomic fluctuations. New information, their argument goes, may alter expectations about future fundamentals. Forward looking variables such as stock prices will react to changes in expectations much earlier than the foreseen changes in fundamentals affect other macroeconomic time series. In particular, news about technological innovations may affect stock prices instantaneously, but due to an implementation lag, it may take some time until they actually alter total factor productivity (TFP). Thus, our understanding of expectations-driven macroeconomic fluctuations could be enhanced if news about expected changes in fundamentals could be properly identified from, among others, stock market data.

For this purpose, Beaudry and Portier (BP) suggest to use structural vector autoregressions (SVAR). Imposing different identifying restrictions on the estimated lag polynomial of a moving average (MA) representation (cf. Blanchard and Quah (1989)) yields a set of structural shocks for ready comparison. If similar shocks are found under different identifying assumptions, then the type of identifying assumption reveals important information about the way a specific shock hits the economy. This, in turn, allows inference on the validity of competing models and their assumptions.

For instance, in a bivariate vector autoregression for US TFP and stock prices, BP find two almost co-linear shocks under two polar identifying assumptions. The first identifying assumption imposes that there exists a shock which does not alter TFP in the short run, the alternative identifying assumption imposes that there exists a shock which does not alter TFP in the very long-run. The two co-linear shocks are consistent with the former but inconsistent with the latter. Hence, BP conjecture that they represent a technological innovation which affects TFP with considerable delay. However, this technological innovation affects stock prices immediately and may therefore cause expectations-driven fluctuations in consumption and investment.

The idea of a prominent role for technology-related news in macroeconomic fluctuations has recently given rise to quite a few other papers, e. g. Lorenzoni (2006) and Jaimovich and Rebelo (2006). It is therefore very interesting to investigate if the empirical finding of BP in favor of news-driven business cycles is a robust business cycle fact which can be documented for other countries and samples as well. Moreover, one would like to know if there is any kind of direct evidence which supports the interpretation of the identified shocks as being technology shocks.

In the first line of research, Beaudry and Portier (2005) took the lead by repeating their analysis with Japanese data. Here they came up with essentially the same finding as for the US: Two almost co-linear "technology" shocks under alternative identifying assumptions. In this paper, we look at Germany as a third country and present a similar, but slightly weaker piece of evidence: There is evidence of a gradually increasing response of TFP to certain shocks in excess of a clearly positive effect on impact. Therefore, if the identified shocks are indeed technological, the overall evidence is quite supportive of a stylized business cycle fact of delayed TFP response to technology shocks.

Going further, we test whether the identified shocks are rightly considered as technology shocks by confronting them with data on patents granted by or applied for at the German patent agency. For various measures of TFP and patents, we have very robust evidence that the identified shocks Granger-cause patents. Conversely, the identified non-persistent shock in the SVAR-approach is not Granger-causal in any of the specifications we test. This seems to be fairly strong evidence for the hypothesis that the identified shock, which affects TFP on impact and with a delay, is indeed a technology shock.

The sequel of the paper is organized as follows: In section 2, we illustrate that the BP approach can be used to infer key model properties. We present a modified Long and Plosser (1983) model which allows for multi-period usage of capital goods. We compute stock prices as the discounted sum of expected returns to capital. We then show that a standard specification of TFP shocks has very different implications for the shocks identified in the Blanchard-Quah approach than a delayed-implementation specification. In section 3, we briefly illustrate the econometric approach and apply it to German data. We use three different measures of TFP in order to check the robustness of our results. In Section 4, we check if these shocks generate macroeconomic comovement and and assess their contribution to forecast error variance of macro variables, Section 5 analyzes Granger-causality between the identified shocks and different measures of patents. Section 6 concludes.

2 The Model

We will illustrate the potential of the BP approach by considering two versions of the same model: One with a standard, instantaneous reaction of TFP to a technological innovation, the other with a delayed response. This is similar to BP (2005). However, their model assumes 100% depreciation on physical capital, which makes it difficult to model stock prices, since, essentially, firms shut down each period. Hence, BP (2005) do not consider stock prices but rather focus on bonds whose price is inversely related to the return on (one-period) capital goods. By contrast, we use a model where the productive use of capital goods extends over many periods and stock prices are computed as the discounted sum of expected returns to capital.

The model is taken from Long and Plosser (1983). We aggregate their model to just a single sector, but extend its production technology to a multi-period setting. Specifically, investment goods I_t can be used for p+1 periods until they are completely worn out. The production elasticities of investment of period $t-\tau$ is given by a_{τ} and we can allow for any kind of depreciation schedule by securing $a_{\tau} > a_{\tau+1} \quad \forall \tau < p$. Labor input is L_t with production elasticity b>0, so that constant returns imply $\sum_{\tau=0}^{p} a_{\tau} + b = 1$. Λ_{t+1} is TFP of period t+1 and production is given by

$$Y_{t+1} = \Lambda_{t+1} L_t^b \prod_{\tau=0}^p I_{t-\tau}^{a_{\tau}}$$
(1)

or (using small letters to denote logs)

$$y_{t+1} = bl_t + \sum_{\tau=0}^p a_{\tau} i_{t-\tau} + \lambda_{t+1}.$$
 (2)

The representative agent has a standard intertemporal utility function with subjective discount factor $0 < \beta < 1$ and risk aversion captured by $\sigma > 1$. $\theta_t = e^{\eta_{2t}}$ is a stationary preference shock and the innovation η_{2t} is, for simplicity, white noise with unit variance.

$$U = E_0 \left[\sum_{t=0}^{\infty} \beta^t \left(\ln C_t - \theta_t \frac{L_t^{\sigma}}{\sigma} \right) \right]$$

Maximizing utility under the budget constraint

$$C_t + I_t = Y_t \tag{3}$$

yields first order conditions

$$\frac{I_t}{C_t} = \sum_{\tau=0}^p \beta^{\tau+1} a_\tau E_t \left[1 + \frac{I_{t+1+\tau}}{C_{t+1+\tau}} \right] =: \gamma + \sum_{\tau=0}^p \beta^{\tau+1} a_\tau E_t \left[\frac{I_{t+1+\tau}}{C_{t+1+\tau}} \right]$$
(4)

and

$$\theta_t L_t^{\sigma} = \beta b E_t \left[1 + \frac{I_{t+1}}{C_{t+1}} \right].$$
(5)

Imposing stability, solving (4) forward and using (3) yields

$$C_t = (1 - \gamma)Y_t, \quad I_t = \gamma Y_t.$$
(6)

This is the policy function, since Y_t is a state variable. For labor, we compute

$$l_{t} = \ln L_{t} = \frac{1}{\sigma} \left(\ln \frac{\beta b}{1 - \gamma} - \eta_{2t} \right).$$
(7)

Inserting (6) into (1) we get

$$Y_{t+1} = \Lambda_{t+1} \gamma^a L_t^b \prod_{\tau=0}^p Y_{t-\tau}^{a_{\tau}} ,$$
 (8)

where $a := \sum_{\tau=0}^{p} a_{\tau}$. Setting $\kappa := a \ln \gamma + \frac{b}{\sigma} \ln \frac{\beta b}{(1-\gamma)}$ and taking logs we get:

$$y_{t+1} = \kappa + \sum_{\tau=0}^{p} a_{\tau} y_{t-\tau} + \lambda_{t+1} - \frac{b}{\sigma} \eta_{2t} =: \kappa + a(L) y_{t+1} + \lambda_{t+1} - \frac{b}{\sigma} \eta_{2t}$$
(9)

$$y_{t} = \frac{\kappa}{1-a} + \frac{\left(\lambda_{t} - \frac{b}{\sigma}\eta_{2t-1}\right)}{1-a(L)} \coloneqq \frac{\kappa}{1-a} + A(L)\left(\lambda_{t} - \frac{b}{\sigma}\eta_{2t-1}\right), \tag{10}$$

where a(L), A(L) are polynomials in the lag operator L and a(0) = 0, A(0) = 1.

Net profits are output minus labor and investment costs:

$$\Pi_{t+1} := Y_{t+1} - \frac{\partial Y_{t+1}}{\partial L_t} L_t - I_{t+1} = (1 - b - \gamma) Y_{t+1}$$
(11)

Let $SP_t := E_t \left[\sum_{\tau=1}^{\infty} \beta^{\tau} \Pi_{t+\tau} \right]$ be the stock price, i. e. the discounted sum of profits expected in period *t*. By definition, we have

$$SP_{t} \coloneqq E_{t}\left[\sum_{\tau=1}^{\infty}\beta^{\tau}\Pi_{t+\tau}\right] = \beta E_{t}\left[\Pi_{t+1}\right] + E_{t}\left[\beta\sum_{\tau=1}^{\infty}\beta^{\tau}\Pi_{t+1+\tau}\right] = \beta E_{t}\left[\Pi_{t+1}\right] + \beta E_{t}\left[SP_{t+1}\right].$$

Log-linearizing this equation we get:

$$sp_{t} \approx cnst + (1 - \beta) E_{t} \pi_{t+1} + \beta E_{t} sp_{t+1}$$

$$= \frac{cnst}{(1 - \beta)} + (1 - \beta) E_{t} \left(\sum_{\tau=0}^{\infty} \beta^{\tau} \pi_{t+1+\tau} \right)$$

$$=: cnst_{1} + (1 - \beta) \sum_{\tau=0}^{\infty} \beta^{\tau} E_{t} \left(A(L) \left(\lambda_{t+1+\tau} - \frac{b}{\sigma} \eta_{2t+\tau} \right) \right)$$

$$=: cnst_{1} - \delta(L) \eta_{2t} + (1 - \beta) \sum_{\tau=0}^{\infty} \beta^{\tau} \left(E_{t} A(L) \lambda_{t+1+\tau} \right),$$
(12)

where $\delta(0) \neq 0$.

Let us now consider two different specifications for the stochastic processes driving the model. The standard specification would be a random walk for log TFP:

$$\lambda_t = \lambda_{t-1} + \eta_{1t} \tag{13}$$

Here, η_{1t} is assumed to be white noise with unit variance.

The alternative specification would specify a delayed response of log TFP to permanent technological innovations. Assume that log TFP is the sum of a random walk component ζ and a stationary process v. There are orthogonal, unit-variance-white noise innovations η_1 and η_3 to ζ and v, respectively. The η_3 innovation affects log TFP in the same period in which it becomes known, while we assume that the η_1 innovation affects TFP with a delay of one period. Thus, the stochastics are described by

$$\lambda_{t} = \zeta_{t-1} + v_{t}$$

$$\zeta_{t} = \zeta_{t-1} + \eta_{1t}$$

$$v_{t} = \rho v_{t-1} + \eta_{3t}, \quad \rho < 1$$
(14)

To preserve the same number of shocks as under the standard specification, we assume that there is no preference shock in the delayed-response specification, $\eta_{2t} = 0 \quad \forall t$.

Under the standard specification we derive from (12)

$$sp_{t} \approx cnst_{1} - \delta(L)\eta_{2t} + A(L)\lambda_{t}$$

$$\Delta sp_{t} \approx \tilde{A}(L)(1-L)\lambda_{t} - \delta(L)(1-L)\eta_{2t}$$

$$= \tilde{A}(L)\eta_{1t} - \delta(L)(1-L)\eta_{2t},$$

where $\tilde{A}(L)$ is a lag polynomial with $\tilde{A}(0) \neq 0 \neq \tilde{A}(1)$.

Hence, the moving average representation is given by

$$\begin{pmatrix} \Delta \lambda_t \\ \Delta sp_t \end{pmatrix} = \begin{pmatrix} 1 & 0 \\ \tilde{A}(L) & -\delta(L)(1-L) \end{pmatrix} \begin{pmatrix} \eta_{1t} \\ \eta_{2t} \end{pmatrix} =: C_1(L) \begin{pmatrix} \eta_{1t} \\ \eta_{2t} \end{pmatrix}.$$
(15)

Under the delayed-response specification we know

$$sp_{t} \approx cnst_{2} + \tilde{A}(L)\zeta_{t} + \tilde{B}(L)v_{t}$$
$$= cnst_{2} + \tilde{A}(L)\zeta_{t} + \frac{\tilde{B}(L)}{1 - \rho L}\eta_{3t}$$

with $\tilde{B}(0) \neq 0 \neq \tilde{B}(1)$. The moving average representation for the first differences is then given by

$$\begin{pmatrix} \Delta \lambda_t \\ \Delta s p_t \end{pmatrix} = \begin{pmatrix} L & \frac{(1-L)}{1-\rho L} \\ \tilde{A}(L) & \frac{\tilde{B}(L)}{1-\rho L}(1-L) \end{pmatrix} \begin{pmatrix} \eta_{1t} \\ \eta_{3t} \end{pmatrix} =: C_2(L) \begin{pmatrix} \eta_{1t} \\ \eta_{3t} \end{pmatrix}.$$
(16)

From (15) and (16) we infer that the first row of both $C_1(1)$ and $C_2(1)$ is (1,0), while the first row of $C_1(0)$ and $C_2(0)$ are very different: (1,0) and (0,1), respectively. This implies that the identification of the structural shocks gives rise to different patterns, too, and these patterns can be used to infer what the true underlying model is. We will discuss this in detail in the next section.

3 The Econometric Approach

Consider empirical time series for log TFP and log stock prices, denoted λ_t and sp_t as before. We assume these are integrated of order one and cointegrated with each other, i. e. $(\Delta \lambda_t, \Delta sp_t)'$ is I(0). Using Wold's decomposition theorem, $(\Delta \lambda_t, \Delta sp_t)'$ can be written in reduced form

$$\begin{pmatrix} \Delta \lambda_t \\ \Delta s p_t \end{pmatrix} = C(L) \begin{pmatrix} u_{1t} \\ u_{2t} \end{pmatrix} \text{ with } C(L) \coloneqq I + \sum_{i=1}^{\infty} C_i L^i$$
 (17)

and in structural form

$$\begin{pmatrix} \Delta \lambda_t \\ \Delta sp_t \end{pmatrix} = D(L) \begin{pmatrix} \varepsilon_{1t} \\ \varepsilon_{2t} \end{pmatrix} \quad \text{with} \quad D(L) \coloneqq \sum_{i=0}^{\infty} D_i L^i .$$
 (18)

Identifying the structural shocks ε requires knowledge of D_0 . This matrix can be recovered from the estimated C(L) matrices of the reduced form (17), if one restriction is imposed on the parameters of D(L). We follow Beaudry and Portier (2005, 2006) by using two alternative assumptions, which we call the short-run and the long-run restriction. The former postulates that the (1,2) element of D(0) is zero, i. e. the stock market shock ε_{2t} has no effect on TFP on impact. The latter postulates that the (1,2) element of D(1) is zero, i. e. the stock market shock ε_{2t} has no long-run effect on

TFP. Let us think of (18) as the representation obtained under the short-run restriction and let (19) be the representation obtained under the long-run restriction:

$$\begin{pmatrix} \Delta \lambda_t \\ \Delta sp_t \end{pmatrix} = \tilde{D}(L) \cdot \begin{pmatrix} \tilde{\varepsilon}_{1,t} \\ \tilde{\varepsilon}_{2,t} \end{pmatrix} \quad \text{with} \quad \tilde{D}(L) \coloneqq \sum_{i=0}^{\infty} \tilde{D}_i \cdot L^i$$
(19)

If the empirical data were generated by the model of section 2 with standard specification, i. e. by equation (15), the impact matrix

$$C_1(0) = \begin{pmatrix} 1 & 0 \\ \tilde{A}(0) & -\delta(0) \end{pmatrix}$$

would already fulfill the short-run identifying assumption, hence, as structural shocks we would identify $\varepsilon_1 = \eta_1$, $\varepsilon_2 = \eta_2$. On the other hand, the long-run matrix is

$$C_1(1) = \begin{pmatrix} 1 & 0 \\ \tilde{A}(1) & 0 \end{pmatrix},$$

thus, we would immediately have $\tilde{\varepsilon}_1 = \eta_1$, $\tilde{\varepsilon}_2 = \eta_2$. The important point is that under both identifying assumptions we would find the same result for ε_1 and $\tilde{\varepsilon}_1$.

If, conversely, the empirical data were generated by the delayed technology specification, the impact matrix would be

$$C_2(0) = \begin{pmatrix} 0 & 1 \\ \tilde{A}(0) & \tilde{B}(0) \end{pmatrix}.$$

In this case, the identifying assumptions imply that $\varepsilon_{1t} = \eta_{3t}$, $\varepsilon_{2t} = \eta_{1t}$, whereas under the long-run restriction we have

$$C_2(1) = \begin{pmatrix} 1 & 0 \\ \tilde{A}(1) & 0 \end{pmatrix}$$

and hence $\tilde{\varepsilon}_{1t} = \eta_{1t}$, $\tilde{\varepsilon}_{2t} = \eta_{3t}$. Under this model, we would thus not find the same result for ε_1 and $\tilde{\varepsilon}_1$, but rather we would find that $\varepsilon_2 = \tilde{\varepsilon}_1$. Therefore, if the empirical analysis suggests that $\varepsilon_2 \approx \tilde{\varepsilon}_1$ we may infer that a model with delayed technology response is more appropriate than a standard specification. We now turn to an investigation of this issue for German data.

3.1 Data description

As in Beaudry and Portier (2006), three different TFP variables are calculated: the standard Solow residual, the Solow residual adjusted for variable capital utilization and a TFP measure following the methodology of Groth et al. (2004) and Oulton (2001).

We have quarterly data from 1970(1) to 2005(2). The simple TFP measure (without capital utilization) is computed from data on GDP, hours worked and annual capital stock data interpolated with constant within-year quarterly growth rates. Under the assumption of constant returns to scale, the observed quarterly labor share is used as the production elasticity of labor. The log of this measure is denoted TFP_D1. Modifying the capital stock data by multiplying with the capacity utilization rate in manufacturing gives a second measure of TFP whose log is denoted TFP_D2.

Computation of the third TFP measure (TFP_D3) takes several criticisms of the standard Solow residual into account. Quality aspects are considered when measuring labor input. Under the assumption of perfect competition, the quality of work is reflected by wages. Therefore, quality adjusted labor input L_t can be constructed as

$$\hat{L}_{t} = \sum_{i=1}^{n} \left(\frac{s_{ii} + s_{ii-1}}{2} \right) \cdot \hat{h}_{ii} , \qquad (20)$$

where hatted variables are growth rates, n constitutes the number of employee categories, s_{it} describes output contribution and h_{it} working hours of group i in period t. In the case of Germany, relevant data in terms of gross earnings exist for salaried employees of the service and manufacturing sectors, and in terms of gross wages for wage earners of manufacturing and agriculture. From microdata, four categories of labor input can be distinguished.

The concept of capital input does not refer to the capital stock but uses a measure of capital services. Different types of assets are weighed by their rental prices to represent the value of services which can be realized under perfect competition. Rental prices MP of asset type j in period t are, in principle, computed as

$$MP_{j,t} = T_{j,t} \cdot \left[\left(r_{j,t} + \delta_j - \hat{p}_{j,t} \right) \cdot p_{j,t} \right],$$
(21)

where $r_{j,t}$ are opportunity costs, δ_j is depreciation and $T_{j,t}$ expresses taxation and investment allowances³.

Stock prices are approximated using the German stock market index DAX deflated by the GDP deflator. We follow Beaudry and Portier (2006) and transform into per-capita values by dividing through the number of employees. The log of the resulting series is denoted DAX1. See the appendix for time series graphs of the constructed series TFP_D1, TFP_D2, TFP_D3 and DAX1.

3.2 Testing, Estimation, Identification

The analysis of German data requires particular care due to the change in the territorial definition which took effect in the first quarter of 1991. As unit root and cointegration tests are severely affected by structural breaks, we exploit the fact that the break point is known and that time series for West Germany and reunified Germany overlap in the first quarter of 1991, while growth rates for unified Germany are available since the second quarter of the same year. We construct time series

³ As in Oulton (2001) dwellings are excluded from buildings because dwellings may not conform with strict profit maximizing behavior. Depreciation rates for machinery and buildings are assumed to be 13% and 2.5%. Market prices of both assets result from the ratio of nominal and real values of the respective gross fixed capital formation. Rates of return are computed by the ratio of gross operating surplus and capital stock value. The tax factor is disregarded due to lack of adequate data.

without a unification break by applying the growth rates for unified Germany to West German levels in the first quarter of 1991 and denote the break-adjusted series TFP_D1b, TFP_D2b, TFP_D3b and DAX1b.

Given the absence of structural breaks, a standard Augmented Dickey Fuller (ADF) test is used to check for unit roots. We cannot reject the null hypothesis in any case (cf. Table A1 in the appendix), thus, we will treat all variables as I(1). To test for a long-run equilibrium relationship of technology and stock market prices we apply the Johansen trace test with an orthogonal trend, cf. Table A2 in the appendix. We can reject the null of no cointegration with DAX1b for all versions of the TFP variable. This gives rise to the specification of bivariate vector error correction models (VECM) whose coefficient estimates are used to compute the reduced form moving average representation. For the estimation results, see the appendix.

Going through the identification under both the short- and the long-run restriction, we find for all three measures of TFP a pronounced positive correlation between ε_2 and $\tilde{\varepsilon}_1$, cf. Figure 1. The correlation is about 0.78 for TFP_D1b and TFPD2b; it is 0.68 for TFP_D3b. While this falls short of the almost perfect co-linearity found by Beaudry and Portier (2005, 2006) for Japan and the US, it certainly tends to favor a delayed-technology-diffusion hypothesis over the standard model.



To explore this issue further, let us look at impulse response functions. We focus here on the basic TFP-version TFP_D1b (without capital utilization) – the results for TFP_D2b (with capital utilization are very similar. The quality-adjusted TFP-measure TFP_D3b will be discussed separately.

The upper panel in Figure 2 shows the impulse responses of the levels of TFP and stock prices to ε_2 , i. e. the structural shock identified by the requirement that it does not have an immediate effect

on TFP. This shock has a strong immediate effect on stock prices, but about 60% of this effect melts away over the next ten years. If this shock was a gradually diffusing technology shock, then the interpretation of the upper panel would state that stock markets receive new information on a technological innovation, which slowly increases TFP. Stock markets anticipate future profits and prices rise. But as the innovation diffuses through the economy, competition reduces profits again and stock prices adjust to the lower level of remaining future profits. (Note that in BP (2006) the impulse response of stock prices rises quickly in the first two or three quarters and stays virtually constant thereafter. It is not clear how a higher level of profits can be maintained over the long run if the economy is competitive).

Figure 2: Impulse-response functions for TFP_D1b and DAX1b⁴

TFP_D1b DAX1b in % of standard deviation 5 7 9 8 01 5 10 6 10 7 ſ 0 20 quarters Ω 5 10 15 20 25 30 35 40 0 10 15 25 30 35 40 quarters

a) Short-run restriction (response to ε_2):

b) Long-run restriction (response to $\tilde{\varepsilon}_1$):



In the lower panel of Figure 2 we see the response to the shock $\tilde{\varepsilon}_1$ identified under the restriction that the other shock $\tilde{\varepsilon}_2$ must not affect TFP in the long-run. If $\tilde{\varepsilon}_1$ and ε_2 were perfectly co-linear, then the impulse responses in the lower panel of Figure 2 should be equal to those in the upper panel. This, however, is not the case. Unlike ε_2 , the shock $\tilde{\varepsilon}_1$ is allowed to have an instantaneous effect on TFP. If we consider merely the point estimates, the instantaneous effect is substantial and equals about 60% of the long-run effect. Nevertheless, about 40% of the innovation seems to diffuse gradually. The impulse response of stock prices is slightly weaker on impact – a result which is well in line with the interpretation that part of the technological innovation diffuses rather quickly so that competition brings profits back to normal faster than with a more delayed technology diffusion.

⁴ Confidence intervals are obtained by 2500 replications with the bootstrapping procedure of Hall (1992). They represent the 95% quantiles.

Results for TFP_D2b are very similar, see the appendix. For the quality-adjusted TFP-measure TFP_D3b, however, we find that there is virtually no gradual diffusion of technology to TFP, the effect of $\tilde{\varepsilon}_1$ on TFP and stock prices (lower panel of Figure 3) is almost instantaneous and virtually constant over time. Consequently, there is a large difference between the impulse responses in the upper and lower panel of Figure 3. Given our discussion on Figure 2, this is not completely surprising, since we knew already that the correlation between ε_2 and $\tilde{\varepsilon}_1$ is lower for the quality adjusted measures than for the two standard measures. So does this latter finding, which is based on methodologically more appealing construction of TFP, constitute evidence against the delayed-diffusion model?

Figure 3: Impulse-response functions for TFP_D3b and DAX1b⁵



a) Short-run restriction (response to ε_2):

b) Long-run restriction (response to $\tilde{\varepsilon}_1$):



Not necessarily. Note that technological innovations are typically embodied in either physical or human capital. In fact, this may precisely be the reason why technology diffuses somewhat slowly: It is not the mere existence of an idea, which increases standard measures of TFP, but its implementation in new machinery or its communication in terms of schooling and training and both requires time. Now, as long as a standard measure of TFP is used, advances in the quality of labor and capital are incorrectly attributed to TFP and our SVAR exercises show the gradual diffusion of a new idea into the production factors. With a quality-adjusted measure of TFP, however, our measure comprises just those technological innovations which need not be embodied in either production factor. As far as we can see, there is no compelling reason why such innovations should not be able to diffuse much faster (and possibly almost instantaneously) than embodied technical progress.

One might object to the above argument on the grounds that the quality-adjusted TFP-measure is different from standard measures, but captures nevertheless many movements in TFP in a similar

⁵ Confidence intervals are obtained by 2500 replications with the bootstrapping procedure of Hall (1992). They represent the 95% quantiles.

way. If most technological innovations are indeed embodied in either labor or capital (or both), then one would expect that a quality-adjusted TFP-measure has little resemblance with standard measures. However, two counterarguments may be advanced: On the one hand, sticky factor prices may induce incomplete quality adjustment. On the other hand, TFP, being computed as a residual, is a measure of our ignorance (Abramovitz (1962)) and probably includes many non-technology developments which also affect production. Both standard and quality-adjusted measures of TFP share these unknown components and may therefore look more similar than they should.

4 News Shocks and Macroeconomic Fluctuations

The main finding of the preceding section states that stock prices may contain information about technological innovations which diffuse slowly in the economy and affect standard measures of TFP only with considerable lags because they must be embodied in new units of capital. In this section we check if these type of shocks are relevant for macroeconomic fluctuations. We focus on the basic TFP_D1b measure to save space⁶.

There are two standard approaches to assess the relevance of a shock for macroeconomic fluctuations. On the one hand, impulse responses may be used to check if the shock generates comovement between the main aggregates such as output, consumption, investment and hours⁷. On the other hand, forecast error variance decompositions (FEVD) may be used to check how important the shock is (in terms of the variance of the dependent variable) relative to other shocks. We will use both approaches here.

In order to do so, the systems we have analysed in Section 3 must be extended to a trivariate setting in which the third variable is one of the main macro aggregates. We first checked the cointegration properties of such systems. Running trivariate Johansen tests with lags indicated by the Schwarz Criterion we found evidence of two cointegrating vectors if we added output, consumption or hours as a third variable. For investment, we did not find any significant statistic in the trivariate system, but we found evidence of bivariate cointegration between investment and TFP_D1b at the 5% level. In light of our previous finding of cointegration between TFP_D1b and DAX1b we conclude that the trivariate Johansen test suffers from insufficient power. Hence, we treat all trivariate systems as having two cointegrating vectors. A summary of these tests is found in Table A3 in the appendix.

Next we want to find out if the identified shocks ε_2 and/or $\tilde{\varepsilon}_1$ generate macroeconomic comovement and how much they contribute to the total variance of the third variable. Since estimating a trivariate VECM will in general give rise to identified structural residuals which differ from the residuals retrieved in a bivariate systems we start by imposing restrictions on the trivariate system which make the system recursive in the sense that the (TFP_D1b, DAX1b) subsystem is independent of the third variable. Essentially, this amounts to requiring that the equations for technology and stock prices are independent of the cointegrating relation between technology and the third variable and of lagged growth rates of the third variable. The equation of the third variable, by contrast, is completely unrestricted and will, in general, depend on both error correction terms

⁶ TFP_D2b has very similar properties, while TFP_D3b, if correctly computed, does not capture innovations which require embodiment.

⁷ The data source is the Statistisches Bundesamt. We eliminated the reunification break by combining level information for unified Germany with growth rates for West Germany. The data are available upon request.

and on lagged growth rates of all three variables. With this approach, we retrieve the shocks ε_2 and $\tilde{\varepsilon}_1$ in the short and long run identification scheme, respectively⁸.



Figure 4: Impulse responses of third variable in trivariate systems⁹

The impulse responses of the third variable to both shocks are displayed in Figure 4. Output, consumption, investment and hours all respond positively to ε_2 and $\tilde{\varepsilon}_1$. For the short-run identification the response is insignificant on impact. (Note that this finding is not due to imposing an identifying assumption). However, for all variables, the response is significantly different from zero in the medium term, i. e. for business cycle horizons. For hours and investment the long run effects are again insignificant. Under the long-run identification, the responses are significant throughout for output, consumption and investment. Hours have a significant positive response in the medium run. Hence, the identified shocks clearly cause comovement of the main macro variables.

Turning to the corresponding FEVDs, we compute the share of variance explained by ε_2 and $\tilde{\varepsilon}_1$ at different horizons. The rest of the variance is, of course, due to the variance of the third shock. The results, cf. Table 1, show very clearly that for all dependent variables the explanatory potential of ε_2

⁸ Identification in the trivariate system (ordered as technology, stock prices, third variable) is obatined as follows: In the short run identification the (1,2), (1,3) and (2,3) element of D(0) are set to zero. In the long run identification the analogous assumption is made for the corresponding long run matrix. But since there are two cointegrating vectors (implying two columns of zeros in this matrix), one more restriction is required. Since in all trivariate SVECMs with short run identification the estimate of the (unrestricted) immediate impact of innovations in the stock price equation on the third variable was virtually zero we also set the (3,2) element of D(0) equal to zero.

⁹ Confidence intervals are obtained by 2500 replications with the bootstrapping procedure of Hall (1992). They represent the 95% quantiles.

and $\tilde{\varepsilon}_1$ increases gradually over time, as would be expected under the delayed diffusion hypothesis. Often, the share of variance explained on impact is close to zero, while it is at least 25% in the long term (e. g. for hours) and mostly much larger. Thus, these type of shocks seem to be quite important for medium to long-term fluctuations.

Table 1 FEVDs of SVECMs based on restricted VECMs								
	a) Short run identification							
Forecast horizon	Out	tput	Consu	mption	Inves	tment	Но	urs
	\mathcal{E}_{l}	\mathcal{E}_2	\mathcal{E}_1	\mathcal{E}_2	\mathcal{E}_1	\mathcal{E}_2	\mathcal{E}_1	\mathcal{E}_2
1	0.63	0.00	0.26	0.00	0.25	0.02	0.09	0.01
4	0.74	0.02	0.50	0.02	0.35	0.05	0.26	0.04
8	0.76	0.09	0.65	0.08	0.39	0.11	0.28	0.11
16	0.70	0.24	0.68	0.20	0.41	0.19	0.23	0.24
40	0.54	0.44	0.56	0.40	0.42	0.32	0.23	0.30
80	0.46	0.53	0.47	0.51	0.42	0.41	0.24	0.30
			b) Long	g run identi	fication			
Forecast horizon	Out	tput	Consu	mption	Inves	tment	Но	urs
	$ ilde{\mathcal{E}}_1$	$ ilde{\mathcal{E}}_2$	$\widetilde{\mathcal{E}}_1$	$ ilde{arepsilon}_2$	$ ilde{\mathcal{E}}_1$	$ ilde{arepsilon}_2$	$\widetilde{\mathcal{E}}_1$	$ ilde{arepsilon}_2$
1	0.19	0.00	0.10	0.00	0.19	0.00	0.02	0.00
4	0.38	0.01	0.30	0.03	0.31	0.00	0.22	0.00
8	0.57	0.01	0.51	0.07	0.43	0.00	0.34	0.00
16	0.77	0.01	0.72	0.07	0.56	0.00	0.42	0.05
40	0.92	0.01	0.90	0.03	0.71	0.00	0.40	0.13
80	0.96	0.00	0.95	0.01	0.81	0.00	0.42	0.13

The preceding analysis may be criticized because of the restrictions imposed on the trivariate VECMs. While these are necessary to reproduce the structural residuals from the bivariate SVECMs, one might suspect that unrestricted trivariate SVECMs do not support the same conclusions. Hence, we also estimate unrestricted trivariate VECMs, imposing two cointegrating vectors in each of them. We then use the same short run and long run identification as in the case of the restricted VECMs to identify structural residuals. While these are obviously not the same as in the restricted case, we continue to use the notation ε_1 , $\tilde{\varepsilon}_1$, ε_2 , $\tilde{\varepsilon}_2$ for simplicity.

Table 2								
	FEVDS OF SVECIMS based on unrestricted vECIMS							
	a) Short run identification							
Forecast	Out	tput	Consu	mption	Inves	tment	Но	urs
horizon								
	\mathcal{E}_{l}	\mathcal{E}_2	\mathcal{E}_1	\mathcal{E}_2	\mathcal{E}_1	\mathcal{E}_2	\mathcal{E}_1	\mathcal{E}_2
1	0.63	0.00	0.25	0.00	0.23	0.02	0.08	0.01
4	0.69	0.01	0.39	0.02	0.28	0.07	0.21	0.04
8	0.70	0.08	0.49	0.08	0.31	0.15	0.26	0.14
16	0.65	0.23	0.52	0.22	0.35	0.25	0.25	0.27
40	0.52	0.44	0.44	0.46	0.34	0.37	0.25	0.30
80	0.46	0.53	0.38	0.57	0.33	0.44	0.27	0.30
			b) Long	g run identi	fication			
Forecast	Out	tput	Consu	mption	Inves	tment	Но	urs
horizon								
	$ ilde{\mathcal{E}}_1$	$ ilde{\mathcal{E}}_2$	$ ilde{\mathcal{E}}_1$	$ ilde{\mathcal{E}}_2$	$ ilde{\mathcal{E}}_1$	$ ilde{\mathcal{E}}_2$	$ ilde{\mathcal{E}}_1$	$ ilde{\mathcal{E}}_2$
1	0.21	0.00	0.13	0.00	0.01	0.00	0.01	0.00
4	0.34	0.00	0.27	0.01	0.07	0.00	0.08	0.00
8	0.51	0.00	0.44	0.02	0.16	0.01	0.20	0.02
16	0.73	0.00	0.66	0.02	0.30	0.01	0.29	0.07
40	0.91	0.00	0.88	0.01	0.52	0.00	0.28	0.12
80	0.96	0.00	0.95	0.00	0.68	0.00	0.29	0.12

The results are given in Table 2. Interestingly, the unrestricted estimates reinforce the conclusions drawn from the restricted estimates. Under the long run identification, $\tilde{\varepsilon}_2$ shocks are of almost no importance for all horizons. By contrast, $\tilde{\varepsilon}_1$ shocks increase in importance as time goes by and in the long run explain nearly all of the variance of output and consumption, two thirds of the variance of investment and slightly less than one third of the variance of hours.

Under the short run identification, however, ε_2 shocks have more explanatory power in the long run than ε_1 for all four macro variables. Also, the explanatory power of ε_2 is zero in the short run (note that this feature is not imposed!) and increases steadily over time. This finding is the same for all four macro variables and seems to be very much in line with the news view and the hypothesis of delayed technology diffusion. In fact, the analysis of the unrestricted VECMs makes this point even more forcefully than the analysis of the restricted VECMs.

5 Granger Causality

We are thus left with the question if the shocks ε_2 and $\tilde{\varepsilon}_1$ from the bivariate SVECMs are predominantly technological in nature. So far this is merely an interpretation suggested from a simple economic model which assumed the existence of technology shocks (and assumed away all kinds of other shocks). We will now confront our candidates for technology shocks with data on technological innovations, namely the number of patents granted by the German patent agency. We will also look at data on patent applications.

These data have recently been published by Jungmittag and Grupp (2006) for 1850-1913 and 1950-1999. The data are yearly and given our earlier analysis we are just interested in the subsample 1970-1999. We aggregate the SVAR shocks by summing the quarterly values to annual frequency. We will first look at the number of granted patents. There are two measures available: the number of patents granted to German applicants (PGG) and the total number of patents granted (PGT).

It is, of course, an open issue, when exactly technological innovations become publicly known. Any invention which seeks patent protection has to be described in the patent application. By German law, this description must be sufficiently detailed to be understood by a knowledgeable person. The patent agency will publish the patent application not later than 18 months after it has been submitted. This can be long before a decision has been reached and a patent granted or refused. Hence, technological innovations are, in general, publicly known before a patent is granted.

The natural hypothesis to test for is thus a possibly causal effect of innovations on granted patents. If the technology-interpretation of the identified shocks ε_2 and $\tilde{\varepsilon}_1$ is correct, then these shocks might Granger-cause patents. Also, patents should not Granger-cause ε_2 and $\tilde{\varepsilon}_1$ since the patent applications (with technical descriptions) are already known before the patent agency decides on granting a patent.

We proceed by estimating bivariate VARs for one of the two measures of granted patents and one of the six ε_2 and $\tilde{\varepsilon}_1$ shocks identified under the three TFP measures. The lag length of the VAR is determined by the Schwarz criterion. Throughout, the chosen lag length is one.

Table 3 contains the main results. In each cell, there are two p-values. In the upper left corner we give the p-value for the hypothesis that the shock does not Granger-cause granted patents, while in the lower right corner we test the null that granted patents do not Granger-cause the shock. For all specifications, we find that the shock is indeed Granger-causal for granted patents (ususally at the 1% level of significance), while the converse seems not to be true.

Shocks suspected to be technological					
		PGG		PGT	
	\mathcal{E}_2	0.006		0.006	
TED D1h			0.945		0.120
	$\widetilde{\mathcal{E}}_1$	0.003		0.009	
	1		0.774		0.162
	\mathcal{E}_2	0.013		0.009	
TED DOL			0.952		0.179
	$\widetilde{\mathcal{E}}_1$	0.008		0.010	
	1		0.897		0.144
	\mathcal{E}_2	0.007		0.005	
TFP_D3b			0.878		0.152
	$\widetilde{\mathcal{E}}_1$	0.002		0.005	
	1		0.752		0.052

Table 3: Granger Causality Tests Sharks suggested to be technological

Upper left corner: P-value for null: Row variable does not Granger-cause column variable. Lower right corner: P-value for null: Column variable does not Granger-cause row variable.

Note that the tests in Table 3 are not independent. In fact, the statistics are probably highly correlated, and hence the evidence is not quite as suggestive as it may appear. But nevertheless we can safely state that Granger-causality seems to be a robust feature of the data which is found across all specifications of TFP, for both measures of patents and for both identifying assumptions.

Shocks suspected to have no permanent effect on TFP					
		PGG		PGT	
	\mathcal{E}_1	0.378		0.815	
TED D1h			0.801		0.963
	$ ilde{\mathcal{E}}_{2}$	0.172		0.083	
	-		0.889		0.358
	\mathcal{E}_1	0.544		0.715	
TED DOL			0.697		0.639
	$ ilde{\mathcal{E}}_{2}$	0.341		0.249	
	2		0.846		0.367
TFP_D3b	\mathcal{E}_1	0.086		0.267	
			0.748		0.354
	$ ilde{\mathcal{E}}_{2}$	0.199		0.086	
	2		0.838		0.619

Table 4: Granger Causality Tests

Upper left corner: P-value for null: Row variable does not Granger-cause column variable. Lower right corner: P-value for null: Column variable does not Granger-cause row variable.

The shocks ε_1 and $\tilde{\varepsilon}_2$ were assumed to have only a transitory effect on TFP. Thus they should not be interpreted as inventions but rather as temporary effects such as changes in motivation, strikes, variation of capital utilization etc. Hence we would expect that ε_1 and $\tilde{\varepsilon}_2$ do not Granger-cause patents, nor are Granger-caused by patents. Table 4 shows that indeed all tests give insignificant test statistics.

Apart from granted patents, data on patent applications are available: Applications from German applicants (PAG) and total applications (PAT) These data are certainly less informative, because only between one-third and one-fifth of the applications are successful, hence many of the applications do apparently not represent inventions. Also, PAG is very strongly skewed due to a few observations in the late 1990s, when patent applications were increasing tremendously. Therefore, any kind of inference is very difficult for PAG and we have focused on PAT. We do not report the results in detail, but they are available upon request. Suffice it to say that no Granger-causality can be found between PAT and any of the identified shocks. This is what one would expect if inventors try to keep their inventions secret as long a possible, but the inventions are disclosed after submitting the patent application. (Recall that the time lag between submission and disclosure is at most 18 months, if it is shorter, it may well fall within the same year.)

6 Conclusions

The purpose of this study was to provide further evidence on the BP-hypothesis of delayedtechnology diffusion and news-driven business cycles. For German data on TFP and stock prices we find qualitatively the same result as BP do: A high correlation between a shock with permanent effects on TFP in the long run and – under a different identification scheme - a shock which has an immediate effect on stock prices but does not affect TFP on impact.

The correlation is less pronounced, though, as in BP's analysis for US and Japanese data. Also, the impulse response analysis suggests that for Germany a substantial part of the total TFP response is immediate rather than delayed. Using a quality-adjusted measure of TFP, there is almost no delayed diffusion any more. This suggests that the delayed diffusion is confined to embodied technological change. Disembodied technological innovations seem to have immediate effects on TFP. But since the share of disembodied technological progress in total technological progress may be small, the relatively large size of the quality-adjusted TFP measure suggests that each measure of German TFP may actually contain a fairly large part of unexplained non-technology influences, i. e. our ignorance about the true nature of what we measure as TFP may be fairly large. It may therefore be the case that noise in TFP data is responsible for the immediate reaction of standard TFP measures in the impulse response analysis.

Focusing on the standard measure of TFP, we find that the shocks suspected to be technological generate comovement for output, consumption, investment and hours. Also, a sizable share of forecast errors for these variables is explained by these shocks in the medium and long run. Using unrestricted VECMs, this conclusion is even stronger: Under the short run identification shocks which do not have an instantaneous effect on technology are more important at long horizons than than those which do. Under the long run equation, most of the variance at long horizons is explained by the shock which has a long run effect on technology and the explanatory potential of this shock increases gradually over time, in line with the delayed technology diffusion hypothesis.

We finally checked how well the identification of technology shocks in the bivariate SVAR approach worked. The answer seems to be: Surprisingly well. Shocks suspected to be technology shocks are Granger-causal for the number of patents granted by the German patent agency, while shocks without permanent effect on technology are not. This result is very robust across different specifications, measures and identification schemes. It may therefore be the case that the SVAR approach is able to separate the true, permanent technology shocks from transitory noise which also affects measured TFP. Under this interpretation, our results are quite supportive for BP's news-driven business cycle hypothesis.

7 Appendix



Table A1					
ADF test					
Variable	Level / 1st diff.	Lags	Test statistics	Critical value (5%)	P-value
TED D1h	Level	0	-2.55	-3.44	0.3041
IFP_DID	1st diff.	0	-14.00	-3.44	0.0000
TED D2h	Level	1	-2.64	-3.44	0.2643
$\Pi \Gamma _D20$	1st diff.	0	-15.86	-3.44	0.0000
TED D2h	Level	1	-1.70	-3.44	0.7483
ITT_D30	1st diff.	0	-15.11	-3.44	0.0000
DAX1b	Level	0	-2.60	-3.44	0.2810
	1st diff.	0	-10.34	-3.44	0.0000

Table	A2
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Johansen Trace Tests							
Variables	Lag length (1st diff.)	Trend in error correction term (EC) / Orthogonal Trend (OT)	Hypothesis	Test statistics	Critical value (5%)	P-value	
TFP_D1b 0		ОТ	r = 0	16.24	15.49	0.039	
	0		<i>r</i> = 1	1.08	3.84	0.299	
& DAAID		EC	r = 0	19.69	25.87	0.242	
TED DOL	1	ОТ	r = 0	19.29	15.49	0.013	
& DAX1b		1	01	<i>r</i> = 1	2.08	3.84	0.149
		EC	r = 0	24.10	25.87	0.082	
TFP_D3b & DAX1b		ОТ	r = 0	15.57	15.49	0.049	
	0	01	<i>r</i> = 1	1.58	3.84	0.209	
		EC	r = 0	19.78	25.87	0.237	

Estimation results for coefficients in VECM $\{TFP_D1b, DAX1b\}^1$

$$\begin{pmatrix} \Delta TFP _ D1b_t \\ \Delta DAX1b_t \end{pmatrix} = \begin{pmatrix} -0.021^* \\ 0.203^* \end{pmatrix} (1.000 -0.220^*) \begin{pmatrix} TFP _ D1b_{t-1} \\ DAX1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.046^* \\ -0.399^* \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \end{pmatrix}$$

Test type	Test statistics	P-value
Autocorr.	65.91	0.3432
Heterosc.	9.99	0.9322
Non- Normal.	69.54	0.0000

Implied SVAR coefficients¹

short-run restriction:	long-run restriction:
D = (0.0080 * 0.0000)	a = (0.0049* - 0.0063*)
$D_0 = \begin{pmatrix} -0.0003 & 0.0979* \end{pmatrix}$	$D_0 = (0.0766* 0.0609*)$

 $^{1^{-1}}$ *=significant at the 5% level.

Estimation results of coefficients in VECM {TFP_D2b, DAX1b}¹

$$\begin{pmatrix} \Delta TFP _ D2b_t \\ \Delta DAX1b_t \end{pmatrix} = \begin{pmatrix} -0.023^* \\ 0.194^* \end{pmatrix} (1.000 - 0.187^*) \begin{pmatrix} TFP _ D2b_{t-1} \\ DAX1b_{t-1} \end{pmatrix} \\ + \begin{pmatrix} -0.287^* & 0.000 \\ 2.241^* & 0.141 \end{pmatrix} \begin{pmatrix} \Delta TFP _ D2b_{t-1} \\ \Delta DAX1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.046^* \\ -0.346^* \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \end{pmatrix}$$

Test type	Test statistics	P-value
Autocorr.	55.33	0.5753
Heterosc.	16.34	0.5690
Non- Normal.	58.09	0.0000

Implied SVAR coefficients¹

short-	run restric	ction:	long-run restriction:
ם –	0.0081*	0.0000	$D_{1} = (0.0051^* - 0.0063^*)$
$D_0 =$	0.0075	0.0947*)	$D_0 = (0.0783* 0.0537*)$

Impulse-response functions²

a) Short-run restriction (response to ε_2):



b) Long-run restriction (response to $\tilde{\varepsilon}_1$):



¹ *=significant at the 5% level.

 ² Confidence intervals are obtained by 2500 replications with the bootstrapping procedure of Hall (1992). They represent the 95% quantiles.

Estimation results of coefficients in VECM {TFP_D3b, DAX1b}¹

$$\begin{pmatrix} \Delta TFP _ D3b_t \\ \Delta DAX1b_t \end{pmatrix} = \begin{pmatrix} -0.033^* \\ 0.258^* \end{pmatrix} (1.000 -0.186^*) \begin{pmatrix} TFP _ D3b_{t-1} \\ DAX1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.060^* \\ -0.436^* \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \end{pmatrix}$$

Test type	Test statistics	P-value
Autocorr.	74.70	0.1292
Heterosc.	14.12	0.7215
Non- Normal.	58.89	0.0000

Implied SVAR coefficients¹

short-run restric	tion:	long-run restrict	ion:
D = (0.0129*)	0.0000)	D = (0.0094*)	-0.0088*)
$D_0 = (0.0021)$	0.0974*)	$\mathcal{D}_0 = (0.0681^*)$	0.0697*

 $^{1^{1}}$ *=significant at the 5% level.

	Johansen Trace Tests								
Variables:	Lag length (1st diff.)	Trend Specification	Trend Specification Hypothesis		Critical value (5%)	P- value			
		Orthogonal	<i>r</i> = 0	39.48	29.80	0.002			
GDP1b	0	Trend	<i>r</i> = 1	18.90	15.41	0.013			
		Orthogonal	<i>r</i> = 0	47.34	29.80	0.000			
CONS1b	0	Trend	<i>r</i> = 1	22.03	15.41	0.004			
		Orthogonal	<i>r</i> = 0	24.95	29.80	0.168			
INV1b	0	Trend	<i>r</i> = 1	9.50	15.41	0.327			
TFP_D1b, INV1b	4	Orthogonal Trend	<i>r</i> = 0	17.05	15.41	0.027			
TEP D1b DAX1b		Orthogonal	r = 0	34.50	29.80	0.013			
HOURS1b	0	Trend	<i>r</i> = 1	15.76	15.41	0.044			

Estimation results for coefficients in restricted VECM $\{GDP1b, DAX1b, TFP_D1b\}^1$

$$\begin{pmatrix} \Delta GDP1b_t \\ \Delta DAX1b_t \\ \Delta TFP_D1b_t \end{pmatrix} = \begin{pmatrix} -0.165 * & 0.010 * \\ --- & -0.045 * \\ --- & 0.005 * \end{pmatrix} \begin{pmatrix} 1.000 & --- & -1.413 * \\ --- & 1.000 & -4.546 \end{pmatrix} \begin{pmatrix} GDP1b_{t-1} \\ DAX1b_{t-1} \\ TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.989 * \\ -0.398 * \\ 0.046 * \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix} = \begin{pmatrix} 0.989 * \\ -0.398 * \\ 0.046 * \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix} = \begin{pmatrix} 0.989 * \\ 0.046 * \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix} cnst + \begin{pmatrix} 0.989 * \\ 0.046 * \end{pmatrix} cnst + \begin{pmatrix} 0.989 * \\ 0.98 * \\ 0.046 * \end{pmatrix} cnst + \begin{pmatrix} 0.989 * \\ 0.98 * \\ 0.98 * \end{pmatrix} cnst + \begin{pmatrix} 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98 * \\ 0.98$$

Test type	Test statistics	P-value
Autocorr.	138.32	0.5243
Heterosc.	67.49	0.6287
Non- Normal.	280.88	0.0000

Implied SVAR coefficients¹

short-run restriction:

long-run restriction:

	(0.0055*	-0.0006	0.0073*		0.0082*	0.0000	0.0040*
$D_0 =$	0.0000	0.0979*	-0.0003	$\widetilde{D}_0 =$	-0.0449*	0.0410*	0.0766*
	0.0000	0.0000	0.0080*		0.0046*	-0.0042*	0.0049*

Estimation results for coefficients in unrestricted VECM {GDP1b, DAX1b, TFP_D1b}¹

($\Delta GDP1b_t$		(-0.093*	0.008* (1 000		1 /10 *	$(GDP1b_{t-1})$)	(0.584 *)		(u_{1t})
	$\Delta DAX1b_t$	=	-0.739	-0.032*	1.000	-1.410*	$DAX1b_{t-1}$	+	3.740*	cnst +	u_{2t}
	$\Delta TFP _ D1b_t$		0.074	0.003*	1.000	-4.340)	(TFP_D1b_{t-1}))	(-0.369*)		$\left(u_{3t}\right)$

Test type	Test statistics	P-value		
Autocorr.	136.93	0.5097		
Heterosc.	64.16	0.7332		
Non- Normal.	249.31	0.0000		

Implied SVAR coefficients¹

short-run restriction:

$$D_0 = \begin{pmatrix} 0.0055^* & -0.0006 & 0.0073^* \\ 0.0000 & 0.0979^* & -0.0003 \\ 0.0000 & 0.0000 & 0.0080^* \end{pmatrix} \qquad \tilde{D}_0 = \begin{pmatrix} 0.0081^* & 0.0000 & 0.0041^* \\ -0.0449^* & 0.0418^* & 0.0756^* \\ 0.0045^* & -0.0042 & 0.0050^* \end{pmatrix}$$

¹ *=significant at the 5% level.

Estimation results for coefficients in restricted VECM {CONS1b, DAX1b, TFP_D1b}¹

$\left(\Delta CONS1b_{t} \right)$	(-0.226*)	0.008* (1 000		1 204*	$(CONS1b_{t-1})$	(1.194*		(u_{1t})
$\Delta DAX1b_t$	=	-0.045*	1 000	-1.594*	$DAX1b_{t-1}$	+ -0.398*	cnst +	<i>u</i> _{2<i>t</i>}
$\left(\Delta TFP _ D1b_{t}\right)$) (0.005*	1.000	-4.340)	$(TFP _ D1b_{t-1})$) (0.046*)	$\left(u_{3t}\right)$

Test type	Test statistics	P-value		
Autocorr.	155.33	0.1777		
Heterosc.	73.34	0.4338		
Non- Normal.	126.58	0.0000		

Implied SVAR coefficients¹

short-run restriction:

long-run restriction:

	0.0085*	-0.0006	0.0050*		0.0094*	0.0000	0.0031*
$D_{0} =$	0.0000	0.0979*	-0.0003	$\widetilde{D}_0 =$	-0.0255*	0.0552*	0.0766*
	0.0000	0.0000	0.0080*		0.0026*	-0.0057*	0.0049*

Estimation results for coefficients in unrestricted VECM {CONS1b, DAX1b, TFP_D1b}¹

 $\begin{pmatrix} \Delta CONS1b_t \\ \Delta DAX1b_t \\ \Delta TFP_D1b_t \end{pmatrix} = \begin{pmatrix} -0.153 * & 0.008 * \\ -0.705 & -0.038 * \\ 0.117 * & 0.004 * \end{pmatrix} \begin{pmatrix} 1.000 & --- & -1.395 * \\ --- & 1.000 & -4.680 * \end{pmatrix} \begin{pmatrix} CONS1b_{t-1} \\ DAX1b_{t-1} \\ TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.827 * \\ 3.131 \\ -0.538 * \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix}$

Test type	Test statistics	P-value		
Autocorr.	155.77	0.1431		
Heterosc.	80.00	0.2424		
Non- Normal.	113.86	0.0000		

Implied SVAR coefficients¹

short-run restriction:

$$D_0 = \begin{pmatrix} 0.0085^* & -0.0006 & 0.0049^* \\ 0.0000 & 0.0974^* & 0.0017 \\ 0.0000 & 0.0000 & 0.0078^* \end{pmatrix} \qquad \tilde{D}_0 = \begin{pmatrix} 0.0091^* & 0.0000 & 0.0035 \\ -0.0304 & 0.0456^* & 0.0805^* \\ 0.0024 & -0.0059^* & 0.0044^* \end{pmatrix}$$

¹ *=significant at the 5% level.

Estimation results for coefficients in restricted VECM {INV1b, DAX1b, TFP_D1b}¹

$$\begin{pmatrix} \Delta INV1b_{t} \\ \Delta DAX1b_{t} \\ \Delta TFP_D1b_{t} \end{pmatrix} = \begin{pmatrix} -0.087 * & 0.008 \\ --- & -0.045 * \\ --- & 0.004 * \end{pmatrix} \begin{pmatrix} 1.000 & --- & -1.290 * \\ --- & 1.000 & -4.546 \end{pmatrix} \begin{pmatrix} INV1b_{t-1} \\ DAX1b_{t-1} \\ TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} -0.191 * & 0.004 & 0.137 \\ --- & --- \\ --- & --- \end{pmatrix} \begin{pmatrix} \Delta INV1b_{t-1} \\ \Delta DAX1b_{t-1} \\ \Delta TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.021 & 0.031 & 0.589 * \\ \Delta DAX1b_{t-3} \\ \Delta DAX1b_{t-3} \\ \Delta TFP_D1b_{t-3} \end{pmatrix} + \begin{pmatrix} 0.229 * & 0.006 & -0.181 \\ --- & --- & --- \\ --- & --- & --- \end{pmatrix} \begin{pmatrix} \Delta INV1b_{t-4} \\ \Delta DAX1b_{t-4} \\ \Delta TFP_D1b_{t-4} \end{pmatrix} + \begin{pmatrix} 0.419 * \\ -0.402 * \\ 0.042 * \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix}$$

Test type	Test statistics	P-value
Autocorr.	129.92	0.4360
Heterosc.	72.70	0.4549
Non-	81.03	0.0000
Normal.	81.05	0.0000

Implied SVAR coefficients¹

short-run restriction:

$$D_0 = \begin{pmatrix} 0.0203 * & 0.0033 * & 0.0117 * \\ 0.0000 & 0.0978 * & 0.0040 \\ 0.0000 & 0.0000 & 0.0077 * \end{pmatrix} \qquad \tilde{D}_0 = \begin{pmatrix} 0.0213 * & 0.0000 & 0.0103 * \\ -0.0191 * & 0.0586 * & 0.0761 * \\ 0.0019 & -0.0055 * & 0.0051 * \end{pmatrix}$$

 $^{1^{1}}$ *=significant at the 5% level.

Estimation results for coefficients in unrestricted VECM {INV1b, DAX1b, TFP_D1b}¹

$$\begin{pmatrix} \Delta INV1b_{t} \\ \Delta DAX1b_{t} \\ \Delta TFP_D1b_{t} \end{pmatrix} = \begin{pmatrix} -0.103 * & 0.009 \\ -0.080 & -0.031 \\ -0.009 & 0.005 * \end{pmatrix} \begin{pmatrix} 1.000 & --- & -1.306 * \\ --- & 1.000 & -4.965 * \end{pmatrix} \begin{pmatrix} INV1b_{t-1} \\ DAX1b_{t-1} \\ TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} -0.207 * & 0.017 & -0.021 \\ -0.161 & 0.237 * & 1.744 \\ -0.007 & 0.003 & -0.146 \end{pmatrix} \begin{pmatrix} \Delta INV1b_{t-1} \\ \Delta DAX1b_{t-1} \\ \Delta TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.089 & -0.007 & -0.250 \\ -0.258 & -0.011 & -2.671 * \\ 0.058 * & -0.001 & -0.167 \end{pmatrix} \begin{pmatrix} \Delta INV1b_{t-2} \\ \Delta DAX1b_{t-2} \\ \Delta TFP_D1b_{t-2} \end{pmatrix} + \begin{pmatrix} 0.041 & 0.031 & 0.705 * \\ 0.248 & 0.124 & 0.849 \\ 0.008 & -0.003 & 0.057 \end{pmatrix} \begin{pmatrix} \Delta INV1b_{t-3} \\ \Delta DAX1b_{t-3} \\ \Delta TFP_D1b_{t-3} \end{pmatrix} + \begin{pmatrix} 0.312 * & 0.004 & -0.110 \\ -0.204 & -0.181 * & 0.616 \\ 0.060 * & 0.002 & 0.031 \end{pmatrix} \begin{pmatrix} \Delta INV1b_{t-4} \\ \Delta DAX1b_{t-4} \\ \Delta TFP_D1b_{t-4} \end{pmatrix} + \begin{pmatrix} 0.488 * \\ 0.029 \\ 0.083 \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix}$$

Test type	Test statistics	P-value
Autocorr.	97.30	0.6130
Heterosc.	82.78	0.1809
Non-	27.08	0.0000
Normal.	57.08	0.0000

Implied SVAR coefficients¹

short-run restriction:

$$D_0 = \begin{pmatrix} 0.0203 * & 0.0030 & 0.0111 * \\ 0.0000 & 0.0887 * & 0.0073 \\ 0.0000 & 0.0000 & 0.0072 * \end{pmatrix} \qquad \tilde{D}_0 = \begin{pmatrix} 0.0232 * & 0.0000 & 0.0023 \\ 0.0079 & 0.0517 * & 0.0720 * \\ 0.0031 & -0.0051 * & 0.0041 * \end{pmatrix}$$

 $^{1^{1}}$ *=significant at the 5% level.

Estimation results for coefficients in restricted VECM {HOURS1b, DAX1b, TFP_D1b}¹

$$\begin{pmatrix} \Delta HOURS1b_{t} \\ \Delta DAX1b_{t} \\ \Delta TFP_D1b_{t} \end{pmatrix} = \begin{pmatrix} -0.074 * & 0.002 * \\ --- & -0.045 * \\ --- & 0.004 * \end{pmatrix} \begin{pmatrix} 1.000 & --- & -0.078 * \\ --- & 1.000 & -4.546 \end{pmatrix} \begin{pmatrix} HOURS1b_{t-1} \\ DAX1b_{t-1} \\ TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.048 & 0.005 & 0.120 * \\ --- & --- \\ --- & --- \\ --- & --- \end{pmatrix} \begin{pmatrix} \Delta HOURS1b_{t-1} \\ \Delta DAX1b_{t-1} \\ \Delta TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.058 & 0.008 * & 0.198 * \\ --- & --- \\ --- & --- \end{pmatrix} \begin{pmatrix} \Delta HOURS1b_{t-2} \\ \Delta TFP_D1b_{t-2} \end{pmatrix} + \begin{pmatrix} 0.058 & 0.008 * & 0.198 * \\ --- & --- \\ --- & --- \end{pmatrix} \begin{pmatrix} \Delta HOURS1b_{t-3} \\ \Delta DAX1b_{t-3} \\ \Delta TFP_D1b_{t-3} \end{pmatrix} + \begin{pmatrix} 0.352 * & 0.001 & -0.057 \\ --- & --- & --- \\ --- & ---- \end{pmatrix} \begin{pmatrix} \Delta HOURS1b_{t-4} \\ \Delta DAX1b_{t-4} \\ \Delta TFP_D1b_{t-4} \end{pmatrix} + \begin{pmatrix} 0.734 * \\ -0.402 * \\ 0.042 * \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix}$$

Test type	Test statistics	P-value	
Autocorr.	153.57	0.0614	
Heterosc.	63.96	0.7390	
Non-	63 17	0.0000	
Normal.	03.17		

Implied SVAR coefficients¹

short-run restriction:

	(0.0045*	-0.0004	0.0014*	(0.0046*	0.0000	0.0006
$D_0 =$	0.0000	0.0978*	0.0040	$\widetilde{D}_0 =$	-0.0173*	0.0591*	0.0761*
	0.0000	0.0000	0.0077*)	l	0.0016*	-0.0055*	0.0051*)

 $^{1^{1}}$ *=significant at the 5% level.

Estimation results for coefficients in unrestr. VECM {HOURS1b, DAX1b, TFP_D1b}¹

$$\begin{pmatrix} \Delta HOURS1b_{t} \\ \Delta DAX1b_{t} \\ \Delta TFP_D1b_{t} \end{pmatrix} = \begin{pmatrix} -0.072 * 0.002 * \\ -0.516 & -0.034 \\ -0.001 & 0.004 * \end{pmatrix} \begin{pmatrix} 1.000 & --- & -0.073 * \\ --- & 1.000 & -4.604 * \end{pmatrix} \begin{pmatrix} HOURS1b_{t-1} \\ DAX1b_{t-1} \\ TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.059 & 0.005 & 0.084 \\ -2.662 & 0.190 * 2.249 * \\ 0.008 & 0.004 & -0.153 \end{pmatrix} \begin{pmatrix} \Delta HOURS1b_{t-1} \\ \Delta DAX1b_{t-1} \\ \Delta TFP_D1b_{t-1} \end{pmatrix} + \begin{pmatrix} 0.123 & 0.000 & 0.052 \\ -0.393 & -0.019 & -2.568 * \\ 0.103 & 0.000 & -0.067 \end{pmatrix} \begin{pmatrix} \Delta HOURS4b_{t-2} \\ \Delta DAX1b_{t-2} \\ \Delta TFP_D1b_{t-2} \end{pmatrix} + \begin{pmatrix} -0.104 & 0.007 * & 0.210 * \\ 0.116 & 0.122 & 1.742 \\ -0.243 & -0.003 & 0.098 \end{pmatrix} \begin{pmatrix} \Delta HOURS4b_{t-3} \\ \Delta DAX1b_{t-3} \\ \Delta TFP_D1b_{t-3} \end{pmatrix} + \begin{pmatrix} 0.377 * & 0.003 & -0.038 \\ -1.823 & -0.183 * & 1.124 \\ 0.102 & 0.006 & 0.123 \end{pmatrix} \begin{pmatrix} \Delta HOURS1b_{t-4} \\ \Delta DAX1b_{t-4} \\ \Delta TFP_D1b_{t-4} \end{pmatrix} + \begin{pmatrix} 0.713 * \\ 4.644 \\ 0.047 \end{pmatrix} cnst + \begin{pmatrix} u_{1t} \\ u_{2t} \\ u_{3t} \end{pmatrix}$$

Test type	Test statistics	P-value	
Autocorr.	111.74	0.2396	
Heterosc.	73.76	0.4203	
Non- Normal.	33.67	0.0000	

Implied SVAR coefficients¹

short-run restriction:

$$D_0 = \begin{pmatrix} 0.0045^* & -0.0003 & 0.0013^* \\ 0.0000 & 0.0872^* & 0.0063 \\ 0.0000 & 0.0000 & 0.0073^* \end{pmatrix} \qquad \tilde{D}_0 = \begin{pmatrix} 0.0046^* & 0.0000 & -0.0004 \\ 0.0000 & 0.0618^* & 0.0618^* \\ 0.0025 & -0.0045^* & 0.0052^* \end{pmatrix}$$

¹ *=significant at the 5% level.

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